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# An Analysis of Risk in Nuclear Power

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### Overview of Research Program (page 1)

### **■**Key Characteristics of Nuclear

- High capital cost, very low operating cost
- Operating cost is independent of oil & gas price volatility
- Long lead time for construction
- Unit scale is very large
- Large fixed costs to shutdown
- In Contrast, for Example, to Natural Gas



### Overview of Research Program (page 2)

### ■ What are the Consequences for the Risk Profile?

- Identify key underlying risk factors such as regional load, weather, factor prices, plant outages
- Develop a structural model of plant construction, dispatch and price development
- Identify portion of underlying risk factors allocated to nuclear profit profile

### Using Financial Derivative Pricing Methodology

- i.e., contingent claims methodology built on Black/Scholes/Merton principles
- Measure the total risk for the industry as a whole
- Identify how that risk is allocated to the various portions of the industry
  - how much to gas plant, how much to nuclear,
- Which risks go where
  - · Which units bear the load risk
  - Which bear the oil/gas price risk



### Long-term Volatility in Load

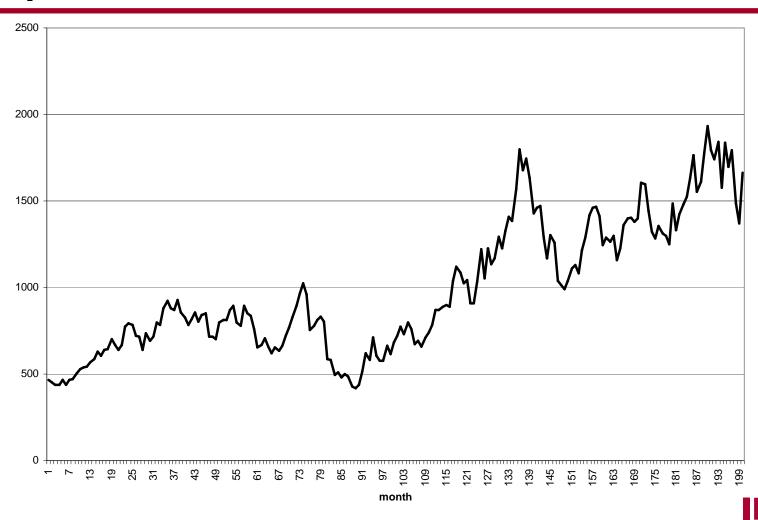
- Load evolves unevenly and with uncertainty
  - Abstracting from daily and seasonal volatility
  - Forecasting load 5 and 10 years out
- Model load as a stochastic process
  - Time trend, e.g., constant drift 2.5%
  - Volatility 30%

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$$\frac{dx}{x} = \mu \, dt + \sigma \, dz$$

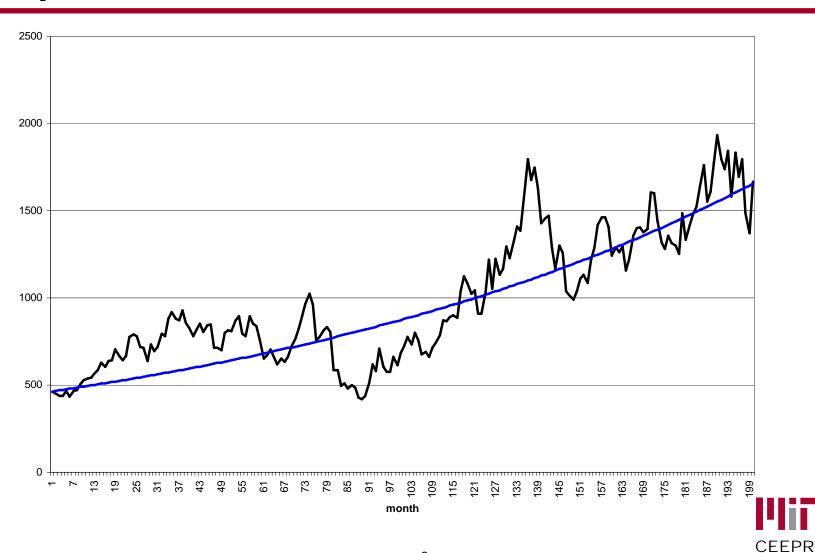


## Sample Path of Load, 200 months



**CEEPR** 

### Sample Path of Load, 200 months



### **Model Equilibrium Decision to Install Capacity**

- Competitive equilibrium following Leahy, QJE 1993
- A single constant returns to scale technology in capacity, q
  - Initially abstract from the time to build nuclear plants capacity can be instantly added
  - Abstracts from the on/off decision and the premium to gas for operating flexibility
- Inverse demand function, D<sup>-1</sup>(x,q)= x q<sup>-1/n</sup> where x is the demand factor
- Firms choose a trigger price at which to add capacity
  - Starting from an initially low price due to excess capacity, as load increases, the price increases until it hits the trigger
  - If load continues to increase when price is at the trigger, new capacity is added at the rate load is expanding so that the price stays at the trigger,
  - Whenever load drops, capacity additions stop, and price falls below the trigger to equilibrate supply and demand



### **Trigger Price**

- If demand growth were certain, then the trigger price would exactly cover marginal cost plus the rental price of capital
- With demand growth uncertainty, there is a danger of periods of low realized demand and therefore excess capacity
- Therefore the trigger price must include a premium to cover this possibility



### **Scenarios**

### Low Cost Technology (nuclear) – no time to build

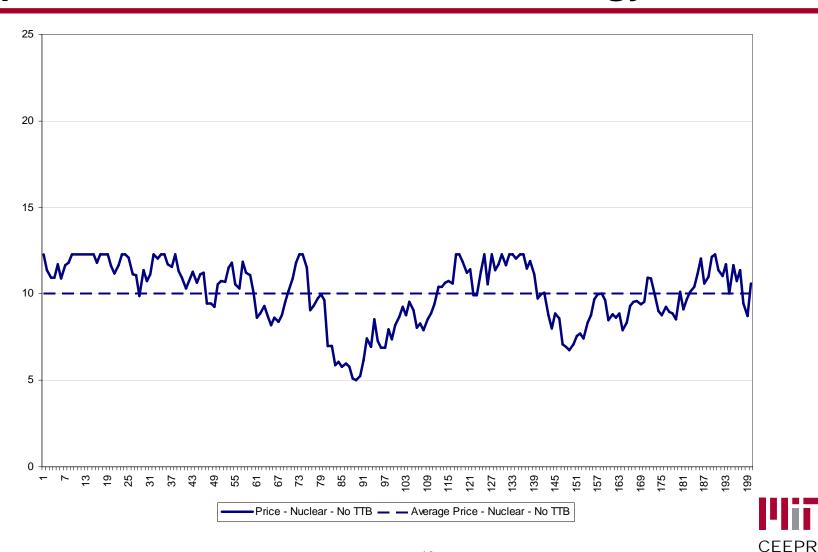
- Trigger price = \$12.30
- Average realized equilibrium price = \$10.04
- Coefficient of variation of eq. price = 18%

### ■ High Cost Technology (gas) – no time to build

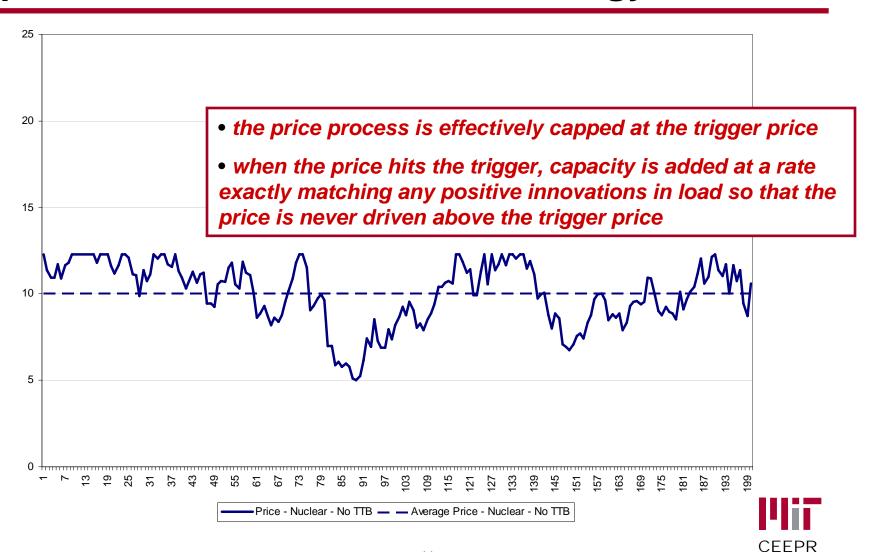
- Trigger price = \$18.39
- Average realized equilibrium price = \$14.65
- Coefficient of variation of eq. price = 18%



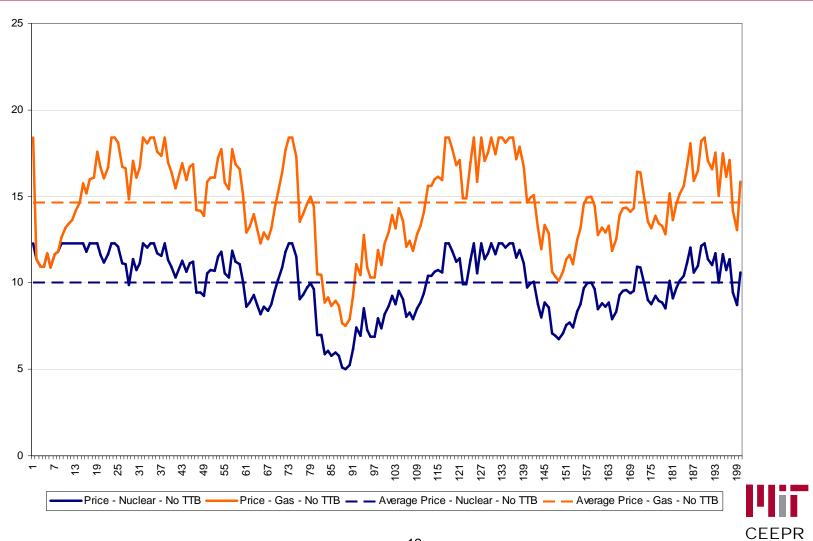
### **Equilibrium Price, low cost technology**



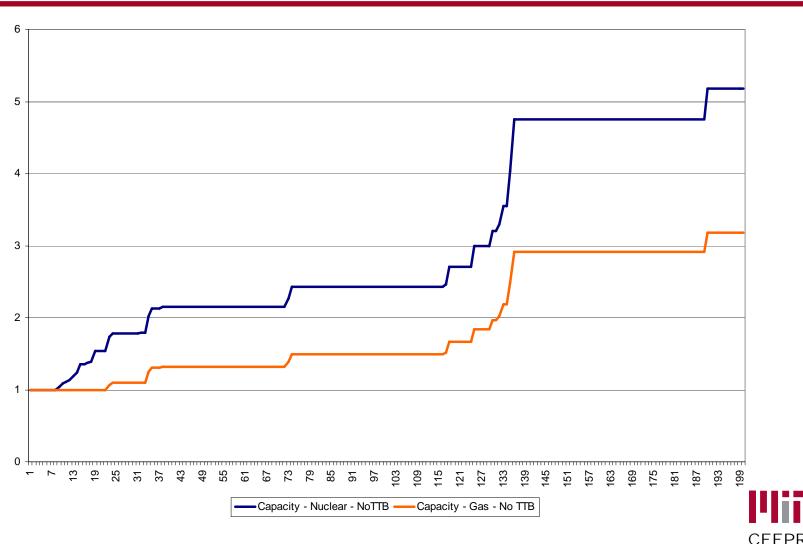
### **Equilibrium Price, low cost technology**



### **Equilibrium Price, high cost technology**



## Installed Capacity, low & high cost technologies

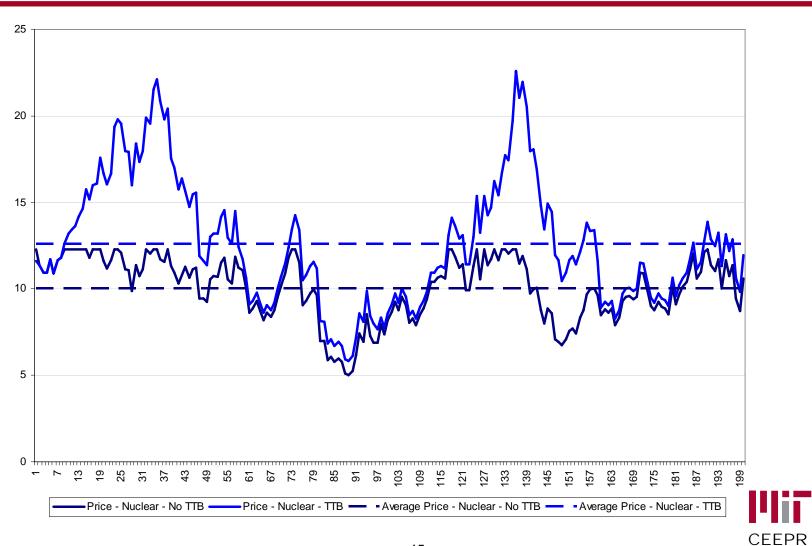


### Re-Model Equilibrium Given Time-to-Build

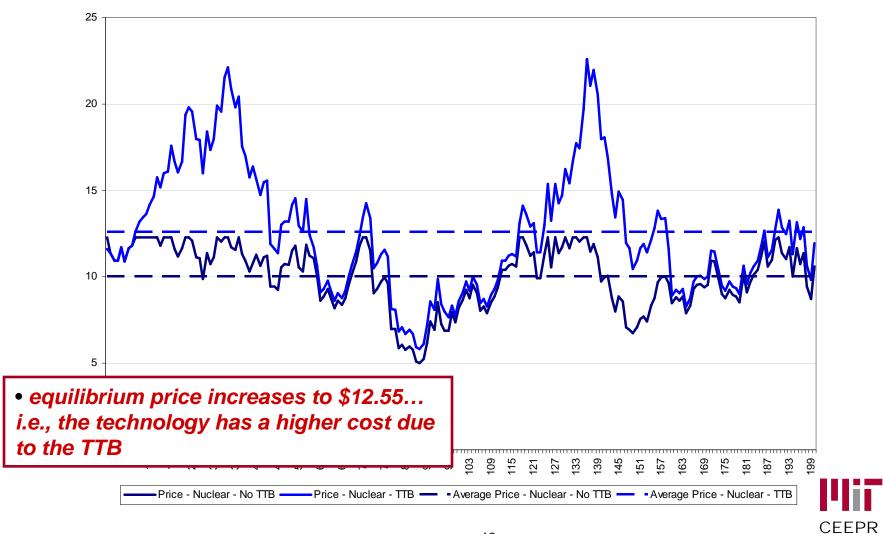
- Competitive equilibrium following Grenadier, RFS 2002
- Equilibrium decisions are altered to forecast price after capacity in construction comes on line
- Firms still choose a trigger price at which point to initiate construction following any period of no construction
- Price is no longer capped, since load may continue to increase while capacity is under construction



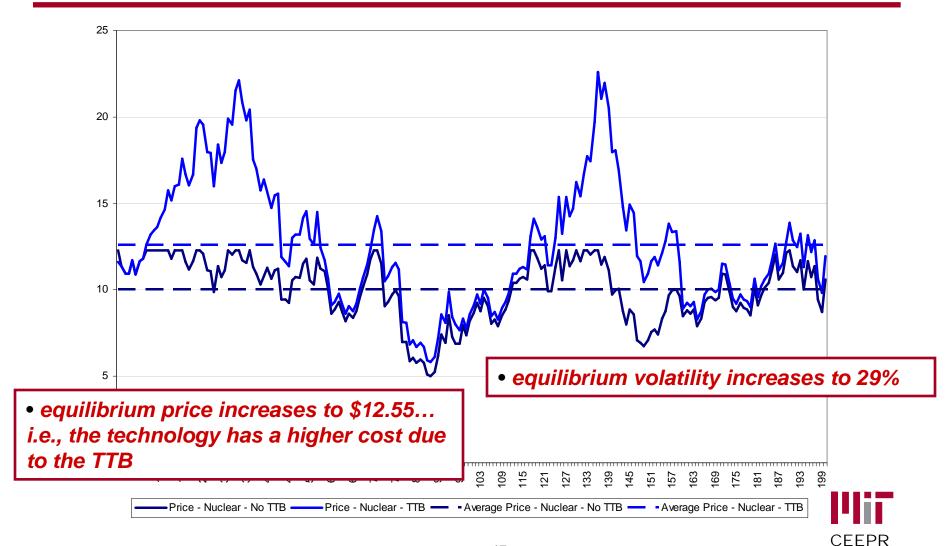
## **Equilibrium Price, with Time-to-Build**



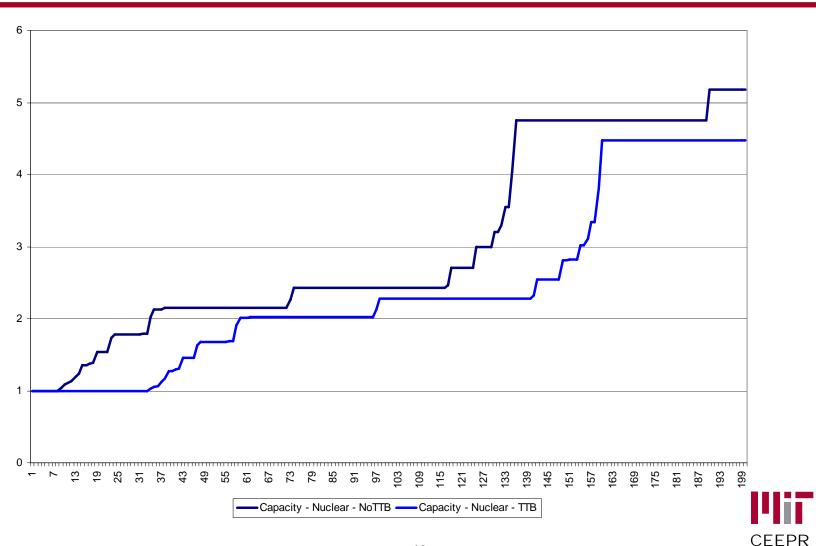
### **Equilibrium Price, with Time-to-Build**



### **Equilibrium Price, with Time-to-Build**

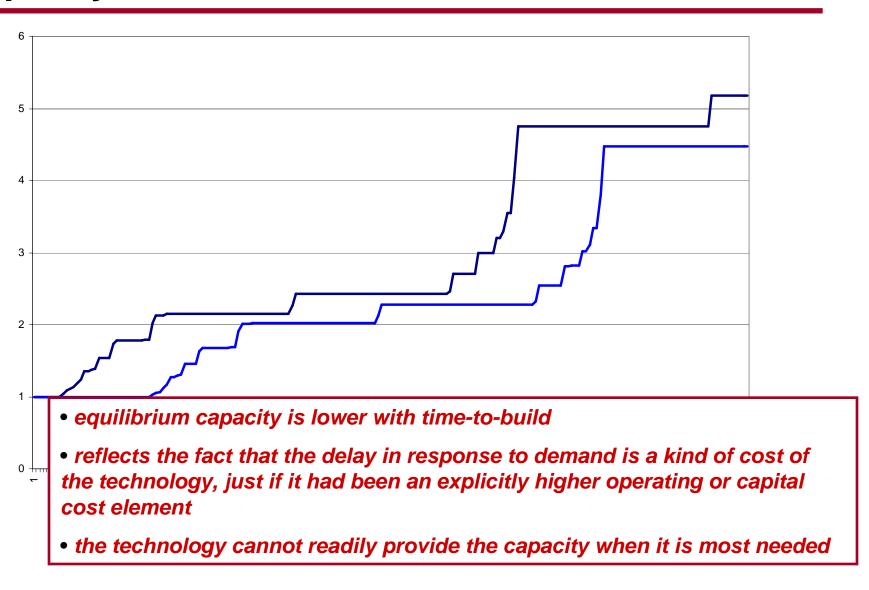


## **Capacity Installed with Time-to-Build**



**Factor 1: Load Growth** 

### Capacity Installed with Time-to-Build

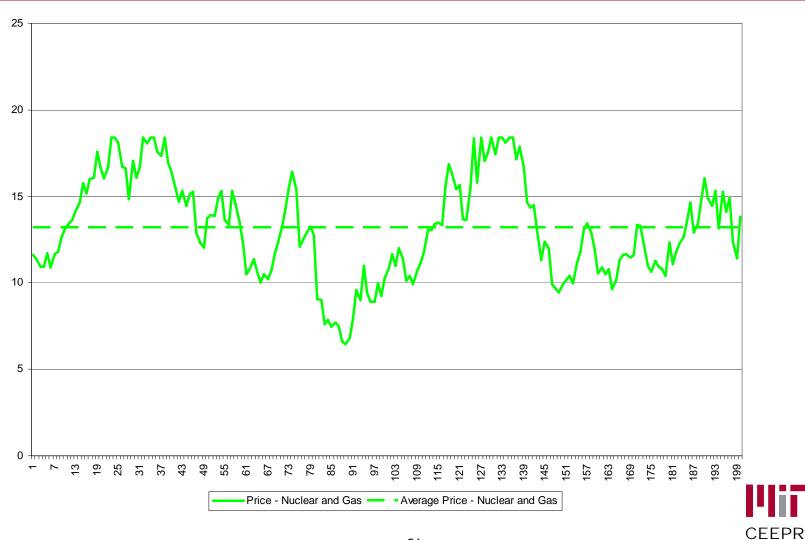


### A Two-Technology Equilibrium

- Low Cost with Time-to-Build (nuclear)
- High Cost with no Time-to-Build (gas)
  - But still no option to turn-off
- Berger Solution: iterate optimal industry reactions
  - Start with the Nuclear Time-to-Build strategy
  - Let the Gas industry build whenever the price rises high enough
  - Revise the Nuclear strategy to recognize installed gas capacity
- Note that with the parameters chosen, the low-cost technology, even with time-to-build, dominates the high-cost technology
- But occasional high prices while nuclear is being built creates an opportunity for the high-cost technology to generate value



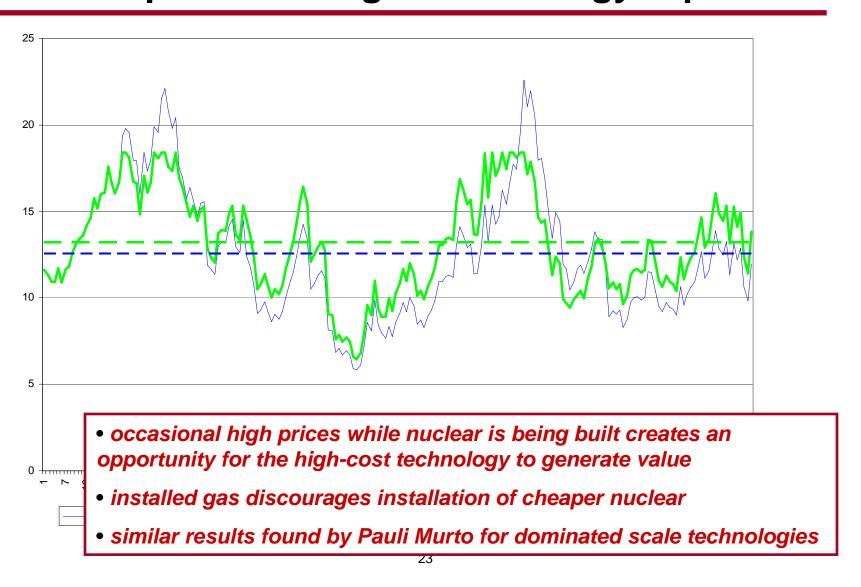
## **Equilibrium Price with Two Technologies**



### Price Compared to Single Technology Equil.



### Price Compared to Single Technology Equil.



## **Capacity for Two Technologies**

